

GUSTO Observations of the [OI] 63 μm Fine Structure Transition

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GUSTO SCIENCE TEAM MEETING

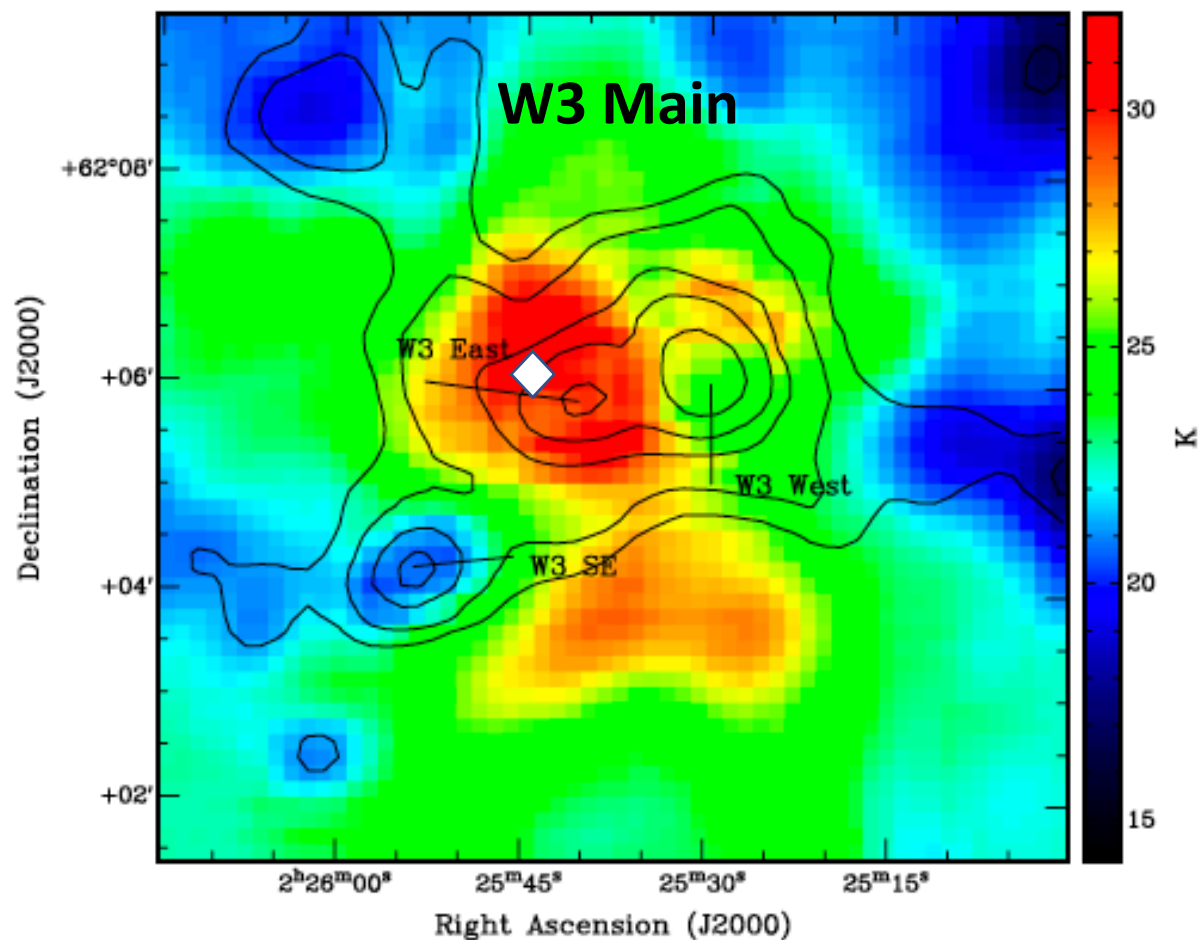
July 22, 2019

- Recent SOFIA/GREAT observations of [OI] in W3
- Prospects for observations of WNM and CNM
- Modeling [OI] emission with MOLPOP-CEP



SOFIA/GREAT Observations of W3

[OI], [NII], CO 5-4, & CO 8-7



$D = 2.04 \text{ kpc}$
 $M = 4 \times 10^5 M_{\text{sun}}$ (total)
 $M = 6 \times 10^4 M_{\text{sun}}$ (Main)
 $M = 8 \times 10^2 M_{\text{sun}}$ (East)
 $L = 1 \times 10^5 L_{\text{sun}}$ (East)
 $N(\text{H}_2) = 1.8 \times 10^{23}$ (East)

Rivera-Ingraham et al. 2013
Herschel PACS continuum observations
Contours are of $N(\text{H}_2)$

O;0 W3 CO(5-4) L SOF-4G1 0 S O:12-DEC-2018 R:15-APR-2019

RA: 02:25:44.48 DEC: 62:06:11.7 Eq 2000.0 Rad. 0.0° Offs: +0.2 +3.1

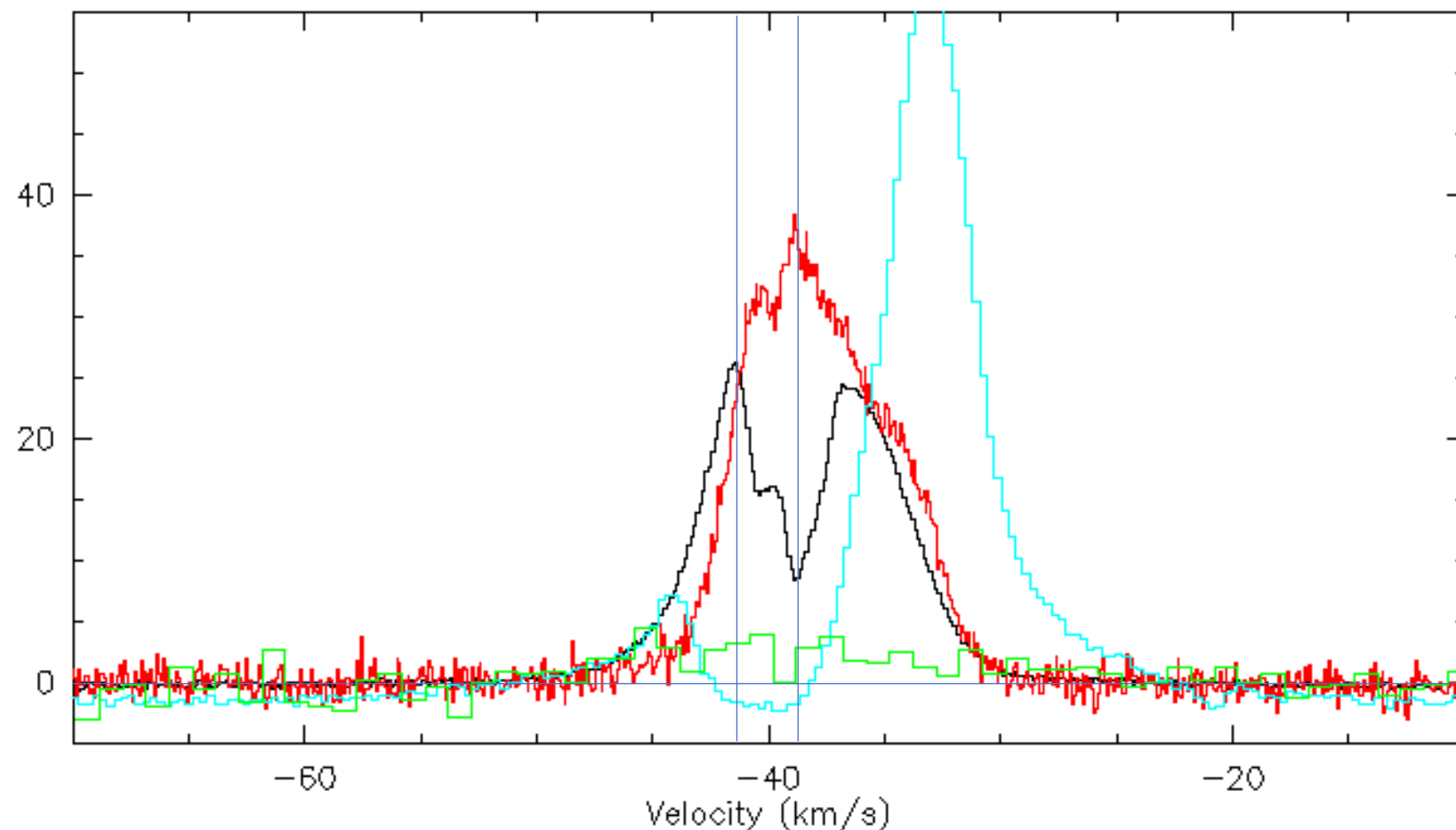
CO(5-4) L Good tau: 0.131 Tsys: 515. Time: 66.0sec El: 34.2

N: 16384 l0: 11468.3 V0: -40.80 Dv: -0.1270 LSR

CO(8-7) U F0: 576267.931 Df: 0.2441 Fi: 586666.659

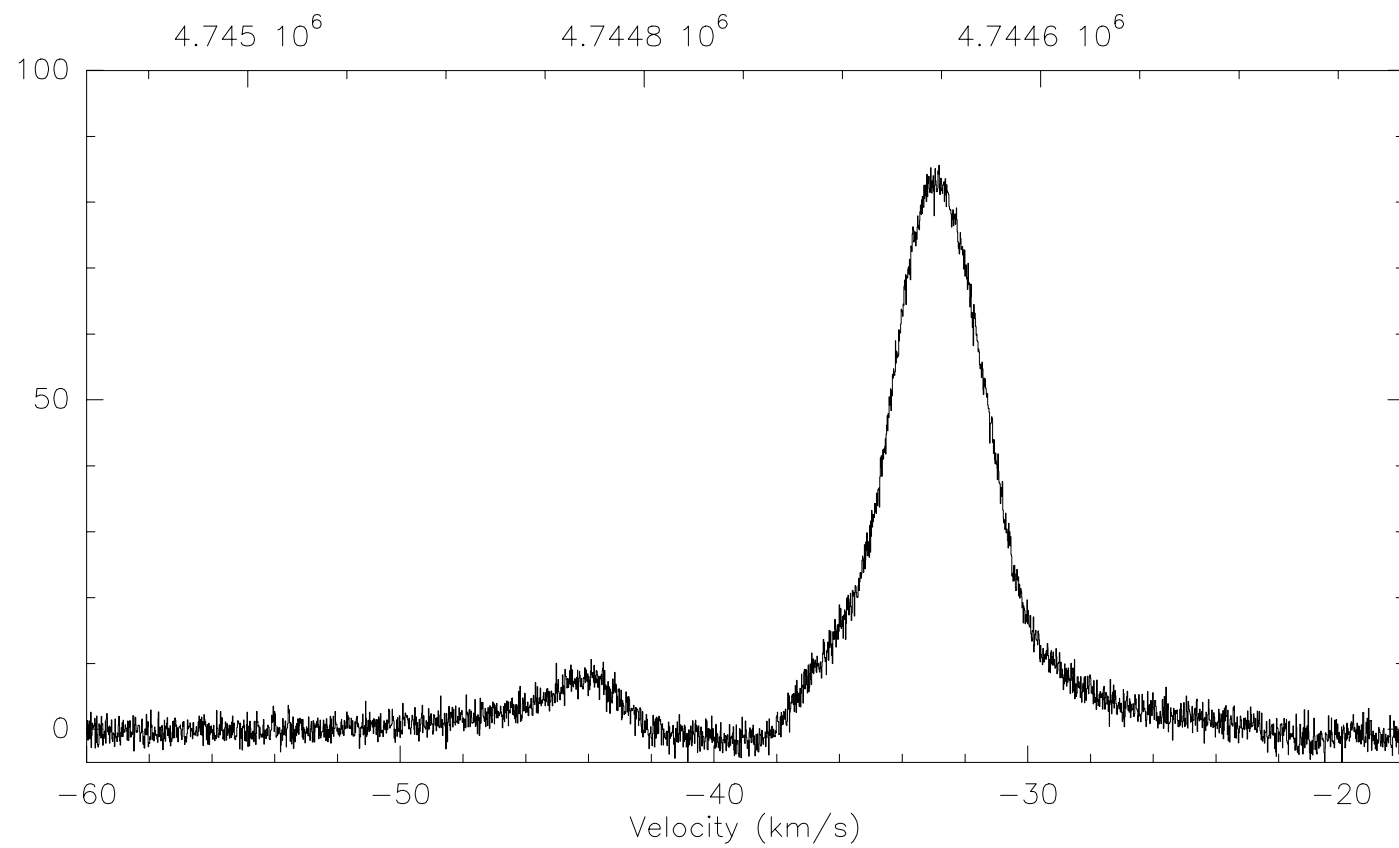
OI 63 L (smooth 20)

NII U (X4, smooth 20)



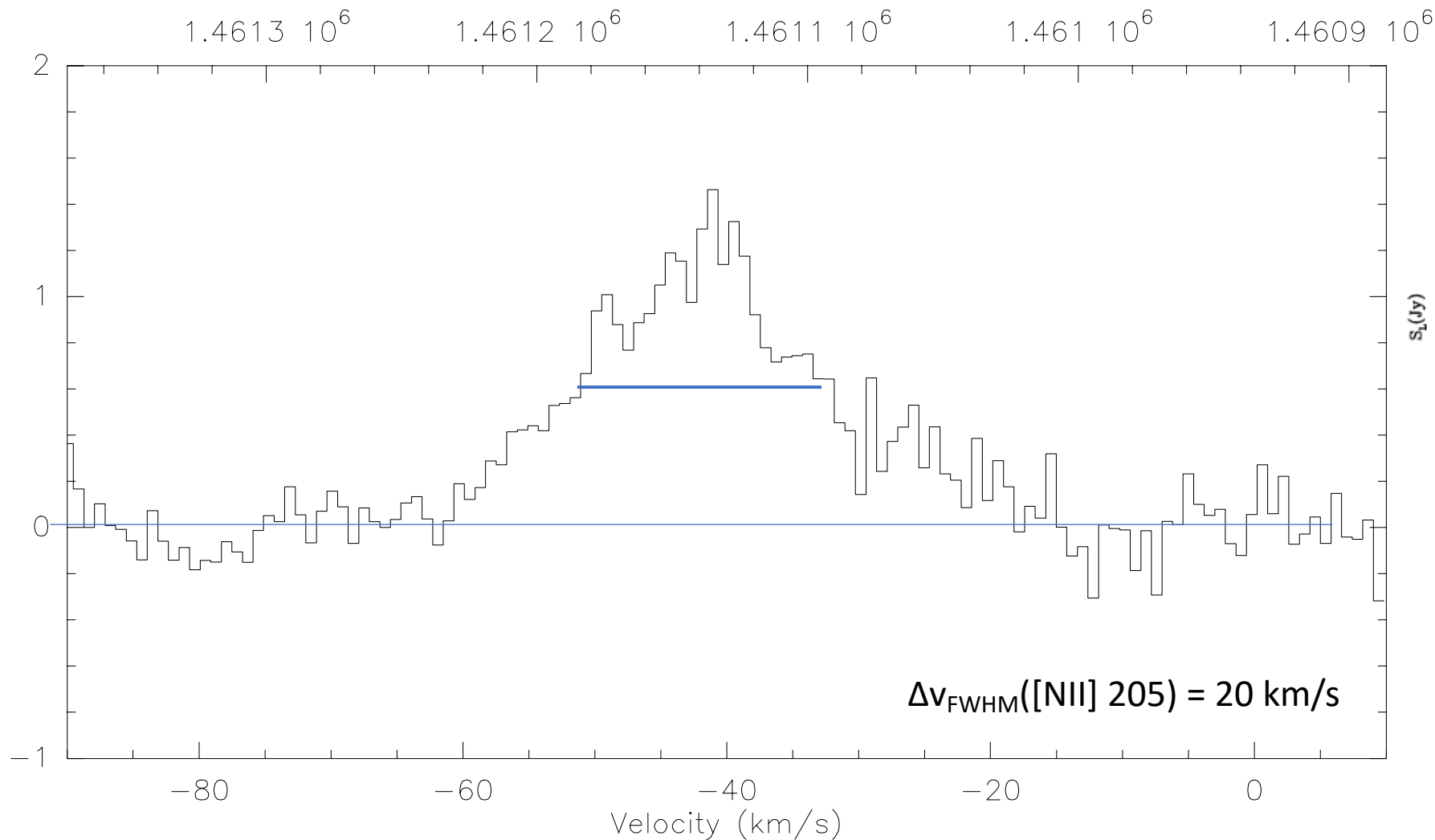
$$\Delta v_{\text{FWHM}}(\text{CO } 8-7) = 8 \text{ km/s}$$

7;1 W3 OI 63 L SOF-HFAV 0 S 0:12-DEC-2018 R:15-APR-2019
RA: 02:25:44.48 DEC: 62:06:11.7 Eq 2000.0 Rad. 0.0° Offs: +0.7 -1.6
Fair tau: 0.360 Tsys: 5511. Time: 3.3min El: 33.4
N: 16384 IO: 5477.94 VO: -40.80 Dv: 1.5421E-02 LSR
FO: 4744777.49 Df: -0.2441 Fi: 4748108.63

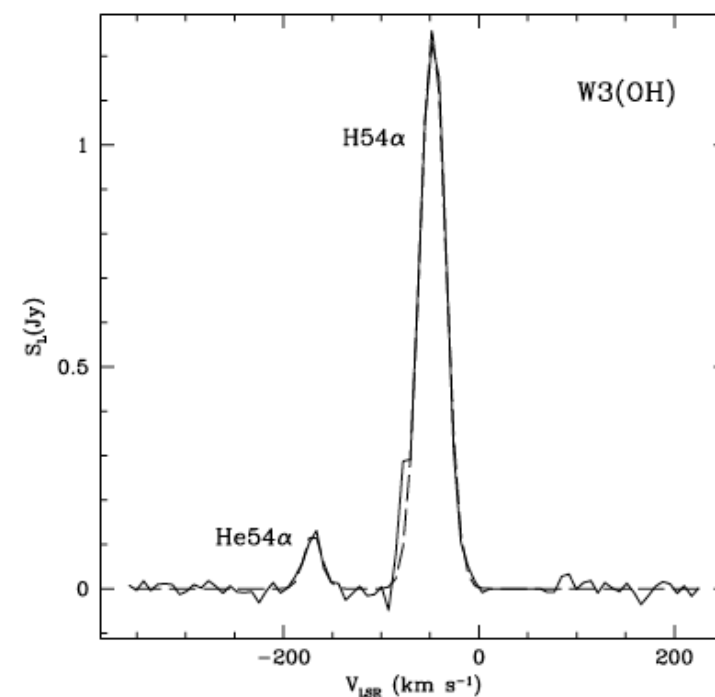


$T_{mb}([OI] 63) = 85 \text{ K}$

6;1 W3 NII U SOF-4G3 0 S O:12-DEC-2018 R:15-APR-2019
 RA: 02:25:44.48 DEC: 62:06:11.7 Eq 2000.0 Rad. 0.0° Offs: -0.0 +0.0
 Good tau: 0.157 Tsys: 6224. Time: 10.0min El: 43.1
 N: 1023 I0: 204.686 V0: -40.80 Dv: -0.8012 LSR
 F0: 1461133.80 Df: 3.906 Fi: 1459534.00

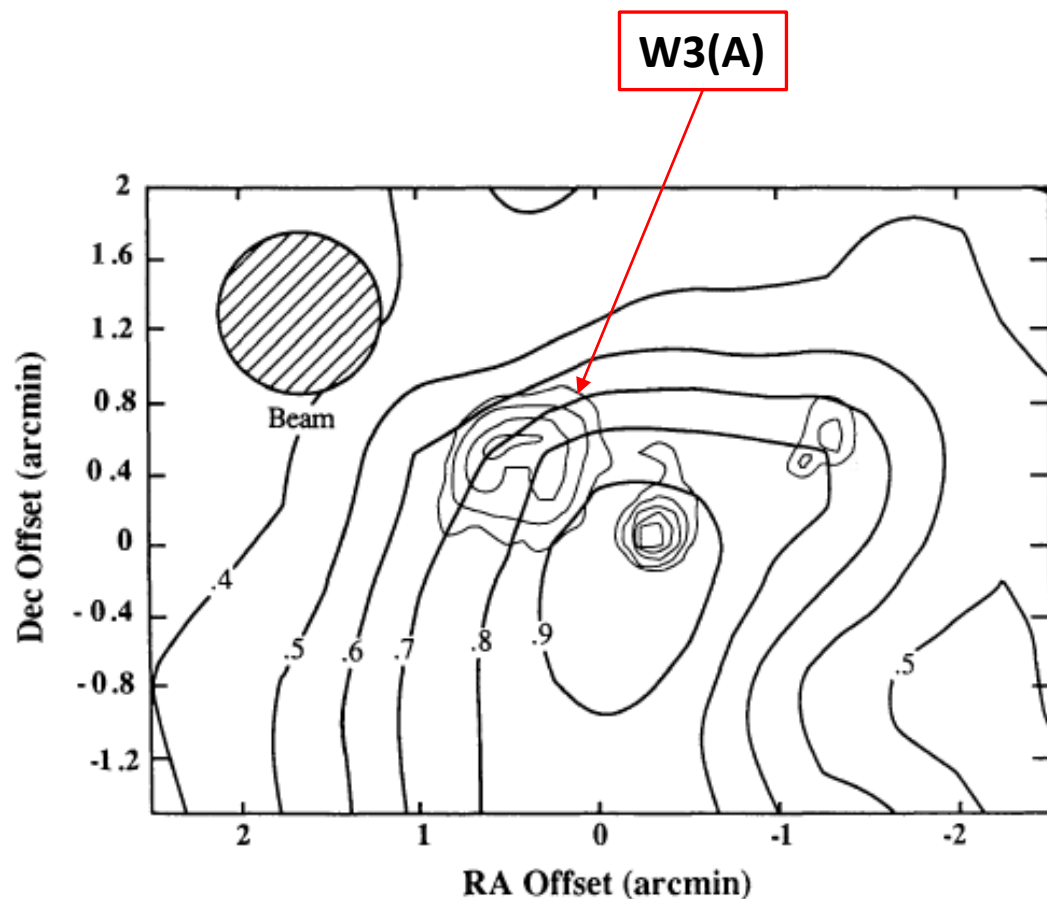


Dzib et al. 2015



Broader than [NII]; $\delta v_{\text{thermal}}$
 10 km/s @ 10⁴ K.

[CII] in W3



- Contours are fractions of $2.5 \times 10^{-3} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ sr}^{-1}$

- At W3 (East) $I \sim 1.5 \times 10^{-3}$
- $\int T_A dv = 14 \text{ K km/s}$
- Assuming $dv = 8 \text{ km/s}$
- $T_A \simeq 2 \text{ K}$
- $T_A([\text{NII}])/T_A([\text{CII}]) \simeq 0.5$

This is a relatively LARGE value so the issue is really why [CII] is so weak!

Beamsize $\sim 60''$ for KAO

[OI] Fine Structure Levels

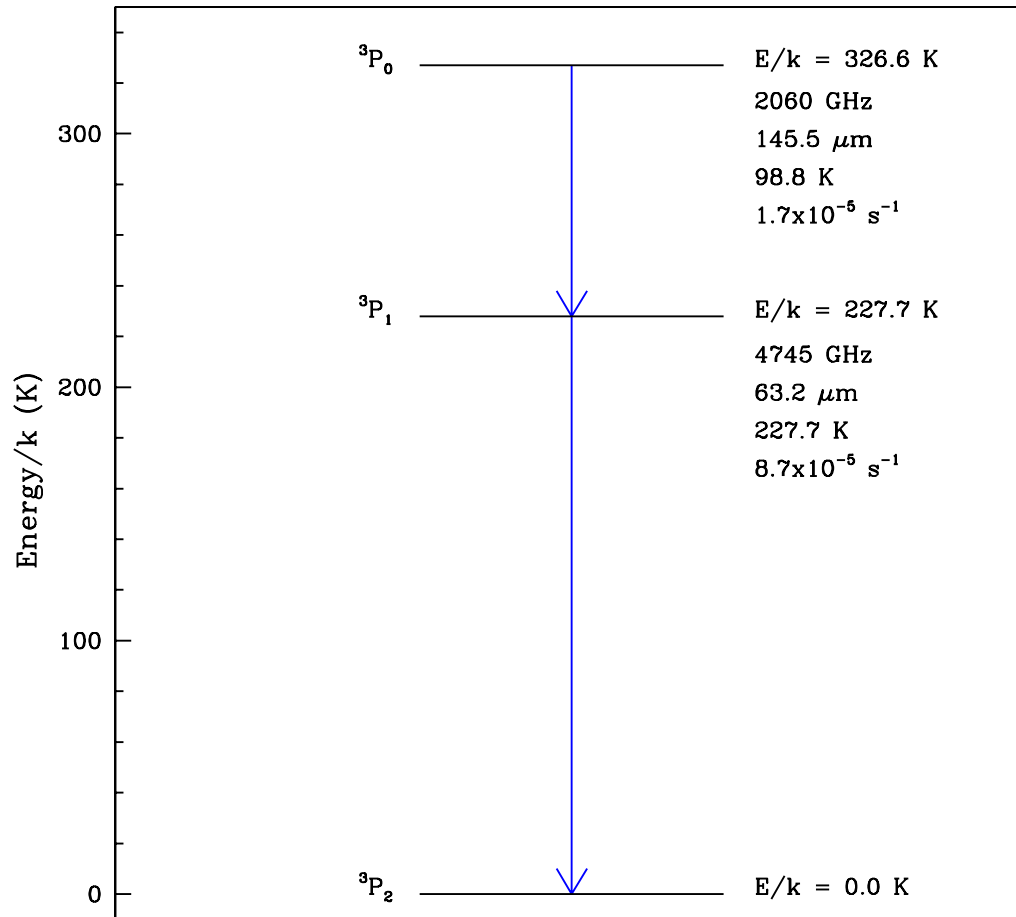


Table 1. [OI] Fine Structure Transitions and Collisional Parameters

Transition	Frequency ¹ (GHz)	Wavelength (μm)	E_u/k (K)	A_{ul} ² (s^{-1})	$R_{ul}(\text{H})$ ³ ($10^{-10}\text{cm}^3\text{s}^{-1}$)	$R_{ul}(\text{H}_2)$ ³ ($10^{-10}\text{cm}^3\text{s}^{-1}$)
$^3P_0 - ^3P_1$	2060.069	145.53	326.6	1.7×10^{-5}	0.84	.0291
$^3P_1 - ^3P_2$	4744.777	63.18	227.7	8.7×10^{-5}	1.12	1.74
$^3P_0 - ^3P_2$	6804.847	44.06	326.6	1.4×10^{-10}	0.76	1.36

¹From Zink et al. (1991); these values supersede those of Saykally & Evenson (1979).

²From Fischer & Saha (1983). There are slight differences among different different calculations and references, cf. Baluja & Zeippen (1988).

³At kinetic temperature of 100 K

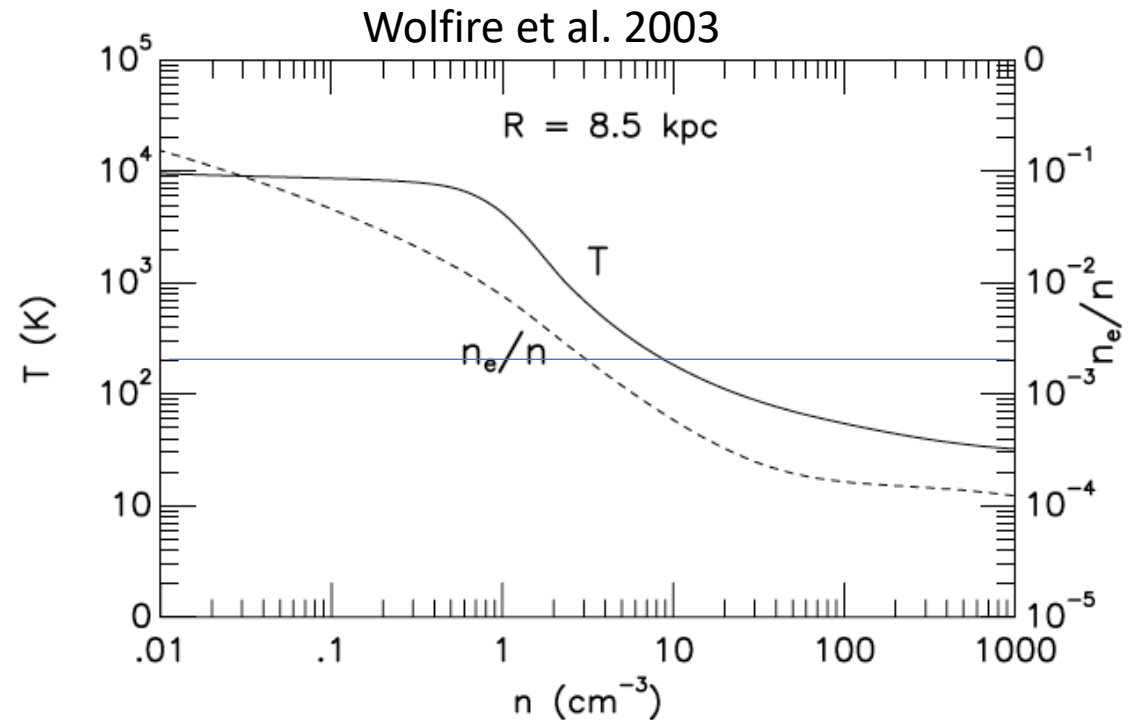
There is also $^3P_0 - ^3P_2$ transition but 10^4 x weaker

Critical Densities for [OI] Fine Structure Transitions & Excitation in Atomic ISM

based on Lique (2018) Collision Rate Coefficients

Table 4. Critical Densities for [OI] Fine Structure Transitions

Transition	$n_c(\text{H}_2)$ (cm^{-3})	$n_c(\text{H})$ (cm^{-3})
145	5.8×10^6	2.0×10^5
63	5.0×10^5	7.8×10^5



Excitation of [OI] Lines will be extremely subthermal

Optical Depth of [OI] Fine Structure Transitions

Assume Gaussian line profile

$$\tau_0 = \frac{0.94 A_{ul} \lambda^3}{8\pi 10^5} \frac{g_u}{g_l}$$

$$\tau(\nu_0) = \tau_0 \frac{f_l N(\text{cm}^{-2})}{\Delta v(\text{kms}^{-1})}$$

assuming highly subthermal excitation ($T_{\text{ex}} \ll hf/k$)
 f_l is the fraction of total column density, N , in lower level

Table 3. Maximum line center optical depth and lower level fractional populations for [O I] fine structure transitions

Transition	τ_0	f_l			
		T(K)			
		50	100	250	400
145	6.52×10^{-18}	6.4×10^{-3}	5.8×10^{-2}	1.9×10^{-2}	2.4×10^{-1}
63	4.92×10^{-18}	9.9×10^{-1}	9.4×10^{-1}	7.7×10^{-1}	7.0×10^{-1}

Optical Depth of [OI] 63 μm

Assume $\Delta v = 5 \text{ km/s}$

$$\tau = 10^{-18} N(\text{O}^0)$$

If all oxygen is O^0 :

$$X(\text{O}^0) = 6.6 \times 10^{-4}$$

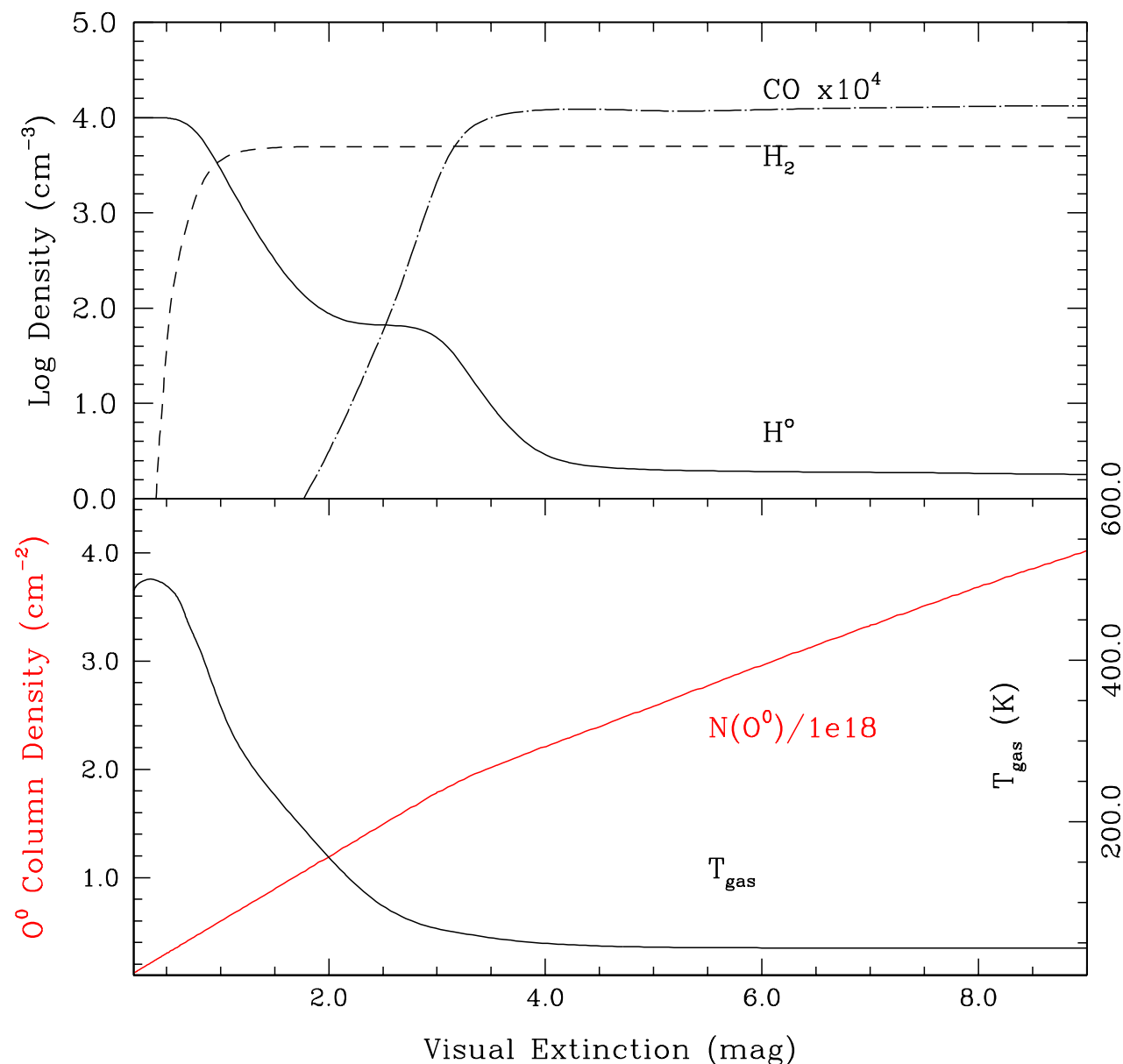
$$\tau = 6.6 \times 10^{-18} N(\text{H}^0)$$

$$N(\text{H}^0) = 1.5 \times 10^{21} \text{ cm}^{-2} \text{ to have } \tau = 1$$

$N(\text{O}^0)$ increases even after oxygen primarily locked up in CO ($A_v > 3$)

Can get $\tau(63 \mu\text{m}) \simeq 2$ for large-N foreground cloud (or clouds)

$\tau(145 \mu\text{m}) \ll 1$ due to low population at density of WNM or CNM



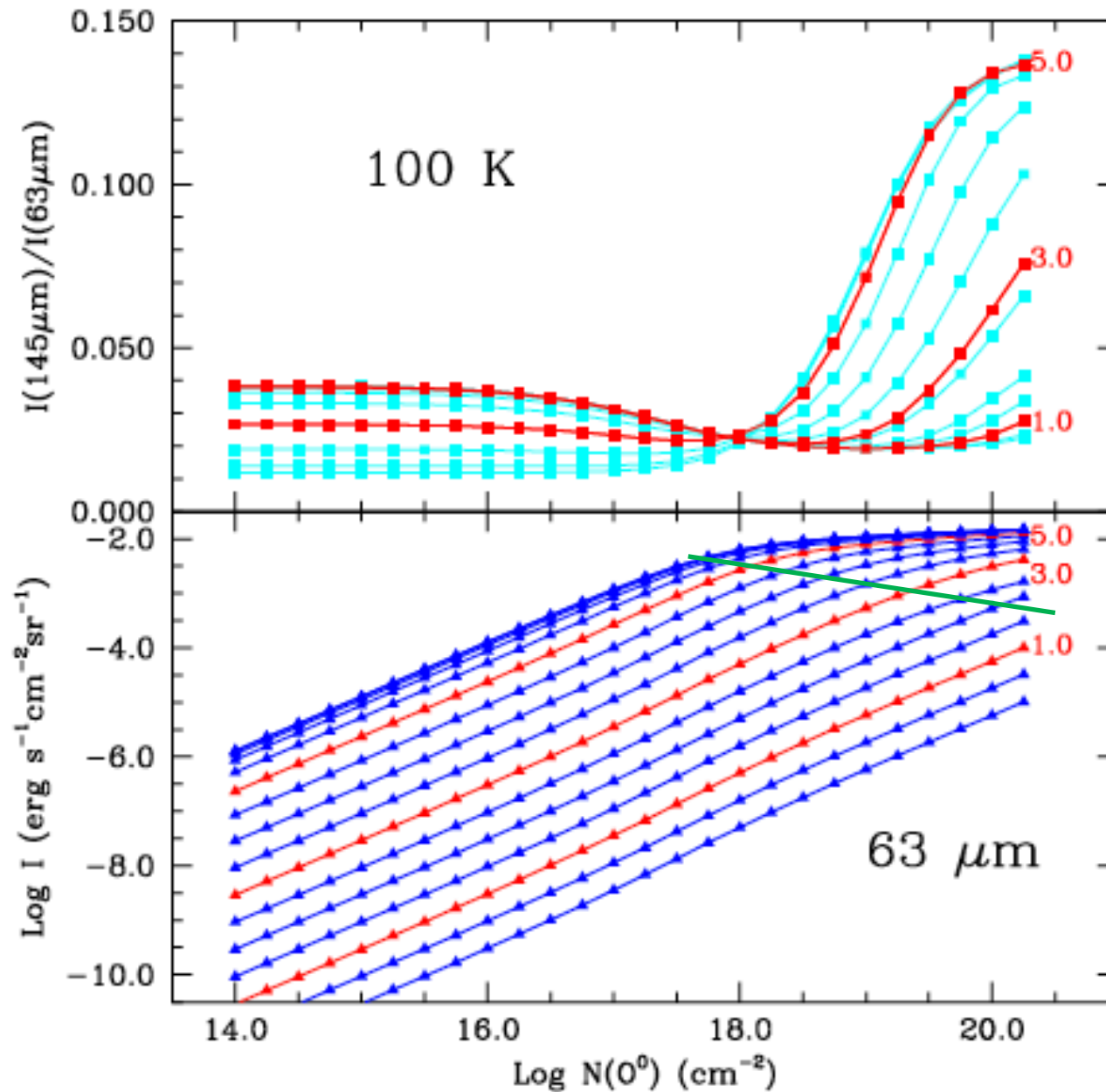


Table 2. Conversion Factors

Transition	$\Delta E/k$	T_A/I_ν	$\int T_A dv / I$
	(K)	(K/erg s ⁻¹ cm ⁻² sr ⁻¹ Hz ⁻¹)	(K km s ⁻¹ /erg s ⁻¹ cm ⁻² sr ⁻¹)
145	98.8	7.67×10^{11}	1.12×10^5
63	227.7	1.45×10^{11}	9.13×10^3

63 μm [OI] line is optically thick but still is “effectively optically thin” below this line

$$I \propto N(\text{O}^0)$$

$$I = 10^{-4} \Rightarrow \int T_A dv = 1 \text{ K km/s}$$

Notes: W43 has $I_{\text{max}} = 850 \text{ K km/s}$
This is only for single-component emission regions ignoring all subtleties

[OI] from the WNM

$$I = AN_u h\nu / 4\pi$$

in highly subthermal limit

$$I = C_{12} N(\text{O}^0) h\nu / 4\pi = 2.5 \times 10^{-15} R_{12} n(\text{H}^0) N(\text{O}^0)$$

Choose WNM parameters

$$T = 10^4 \text{ K}, R_{12} = 2.4 \times 10^{-10} \text{ @ } 10^3 \text{ K};$$

could be somewhat larger at 10^4 K

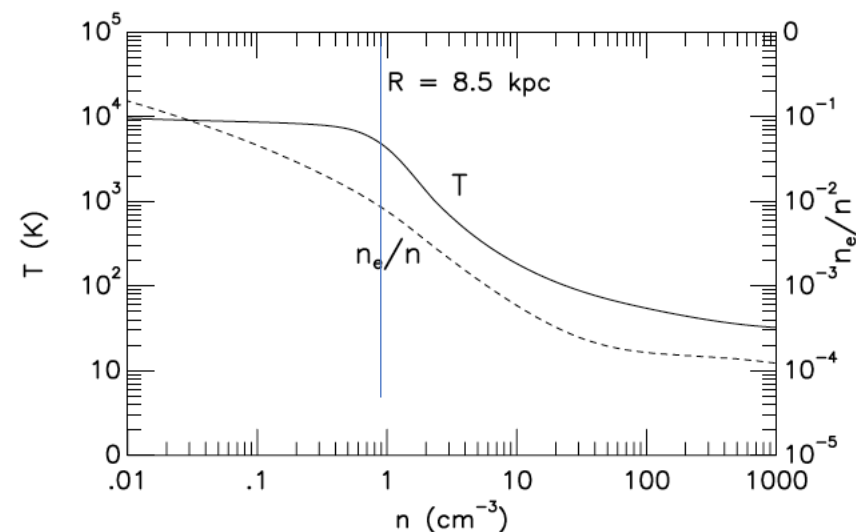
$$n(\text{H}^0) = 1 \text{ cm}^{-3}$$

$$N(\text{H}^0) = 10^{21} \text{ cm}^{-2} \Rightarrow N(\text{O}^0) = 6.6 \times 10^{17} \text{ cm}^{-2}$$

$$I = 4 \times 10^{-7} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ sr}^{-1}$$

$$\int T_A dv = 0.0036 \text{ K km/s}$$

THIS WILL NOT BE DETECTABLE BY GUSTO



Wolfire et al. 2003

[OI] from the CNM

$$I = AN_u h\nu/4\pi$$

in highly subthermal limit

$$I = C_{12} N(O^0) h\nu/4\pi = 2.5 \times 10^{-15} R_{12} n(H^0) N(O^0)$$

Choose CNM parameters

$$T = 10^2 \text{ K}, R_{12} = 7.2 \times 10^{-12} n(H^0)$$

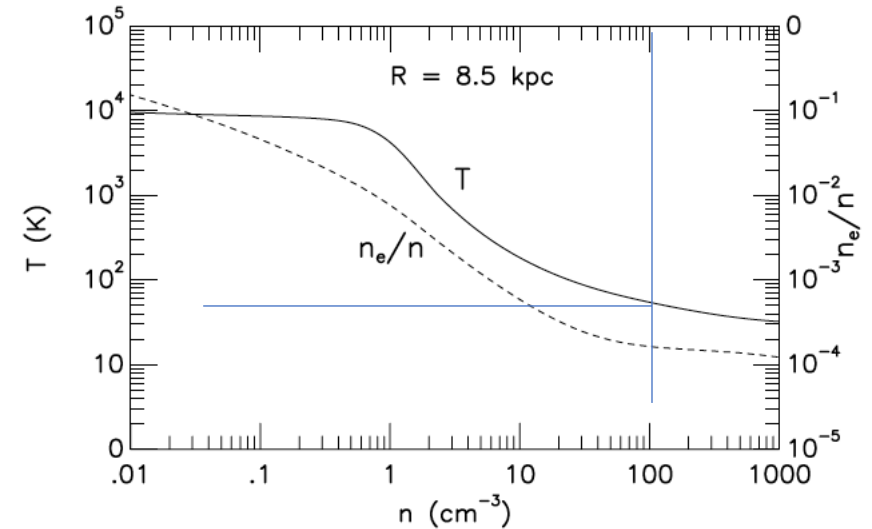
$$n(H^0) = 100 \text{ cm}^{-3}$$

$$N(H^0) = 10^{21} \text{ cm}^{-2} \Rightarrow N(O^0) = 6.6 \times 10^{17} \text{ cm}^{-2}$$

$$I = 1.2 \times 10^{-6} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ sr}^{-1}$$

$$\int T_A dv = 0.0011 \text{ K km/s}$$

THIS WILL NOT BE DETECTABLE BY GUSTO



[OI] from PDRs

The big difference is that you have large column density of warm, dense gas in which oxygen is still in atomic form due to radiation field

$$N(\text{H}_2) = 10^{23} \text{ cm}^{-2}$$

$$N(\text{O}^0) = 10^{20} \text{ cm}^{-2}$$

$$T = 250 \text{ K}$$

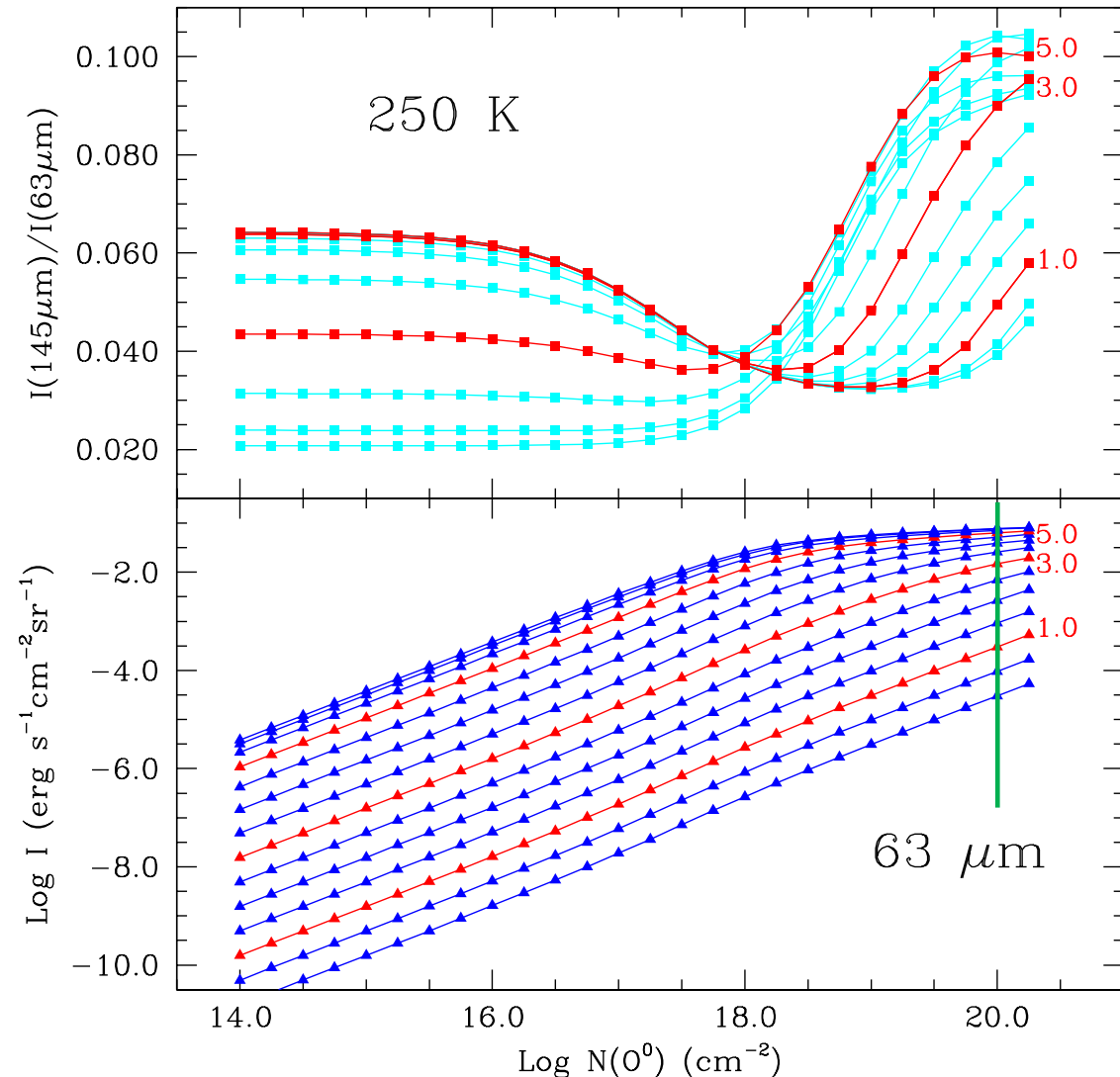
$$I = 3 \times 10^{-2} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ sr}^{-1}$$

$$\int T_A dv = 270 \text{ K km/s; with } dv = 5 \text{ km/s}$$

$$T_A = 55 \text{ K}$$

This is characteristic of resolved, energetic PDRs including W3 and others that GUSTO will cover in the Galactic Plane Survey (GPS)

READILY OBSERVABLE WITH GUSTO

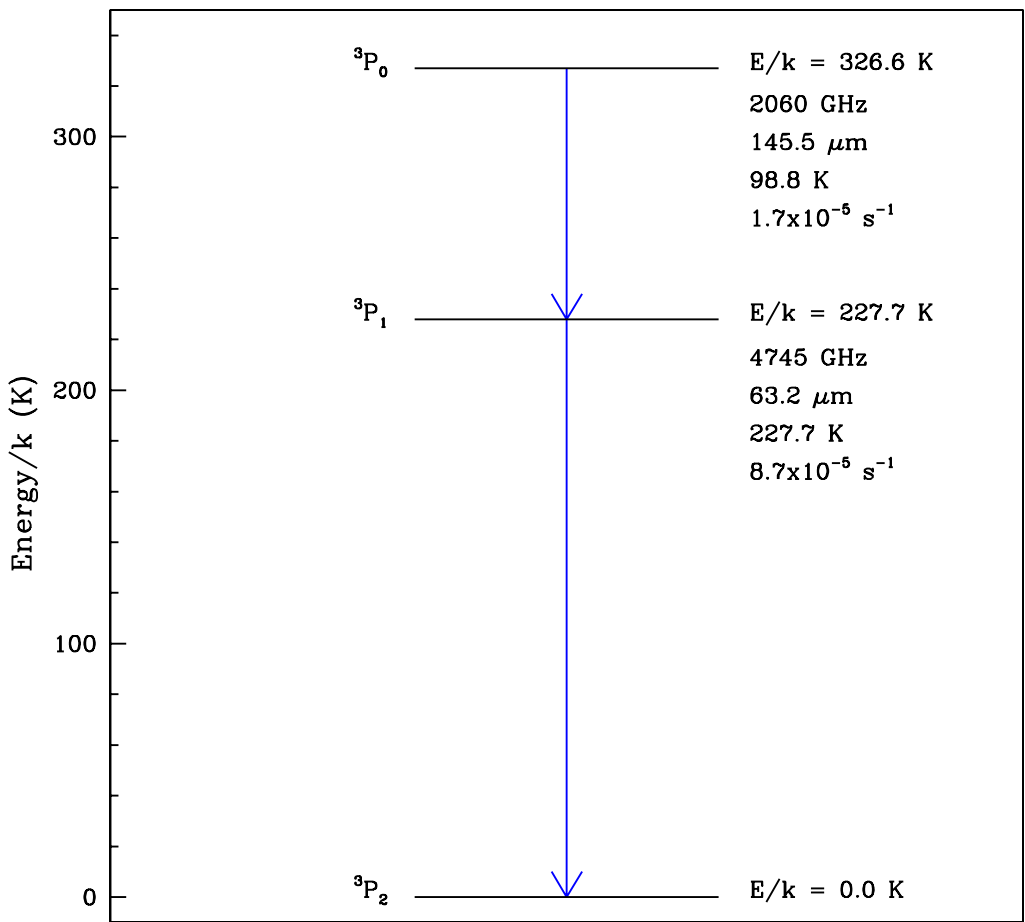


MOLPOP-CEP

An Exact Method for Line Radiative Transfer

1. Elitzur & Asensio Ramos (2006)
 2. Asensio Ramos & Elitzur (2018)
- Divide cloud into slabs
 - Compute the escape probability for photons from each slab
 - Couple photons from various slabs together
 - Iterate on # of slabs to get convergence
 - “CEP” = Coupled Escape Probability
 - Can handle slabs with varying conditions but I will discuss only “uniform” slabs

[OI] Fine Structure Levels

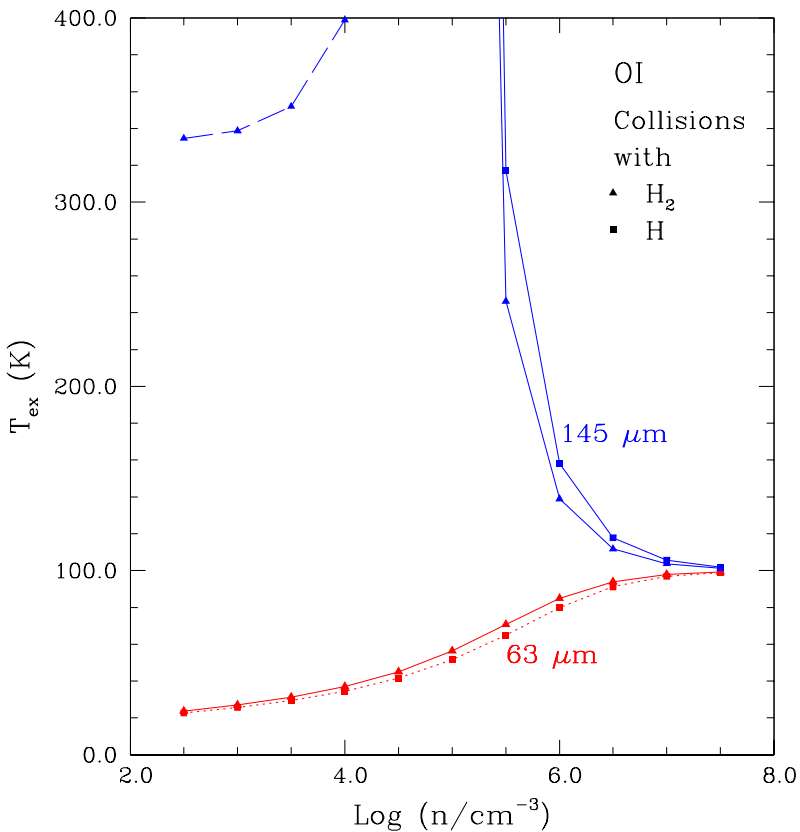


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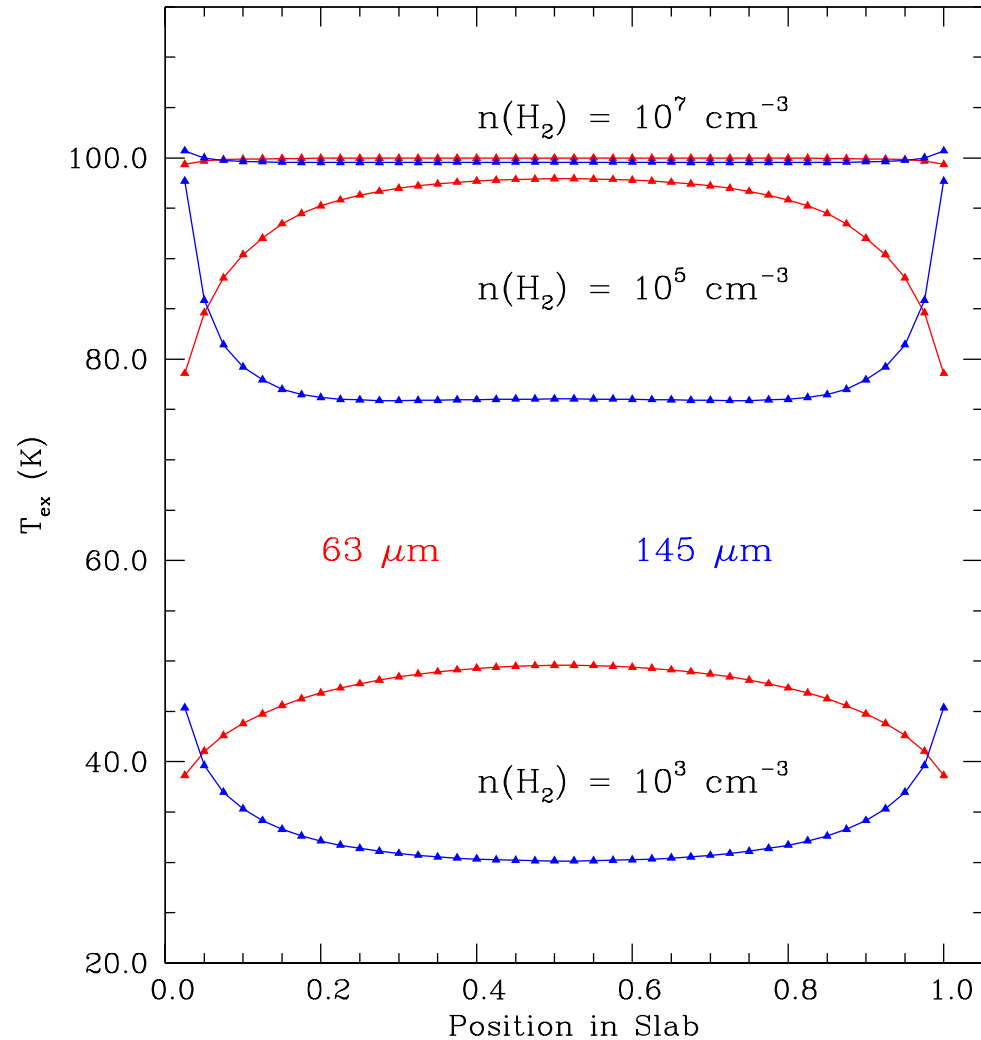
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Photon Trapping Affects the Excitation Temperature when $\tau > 1$ and $n < n_{\text{crit}}$

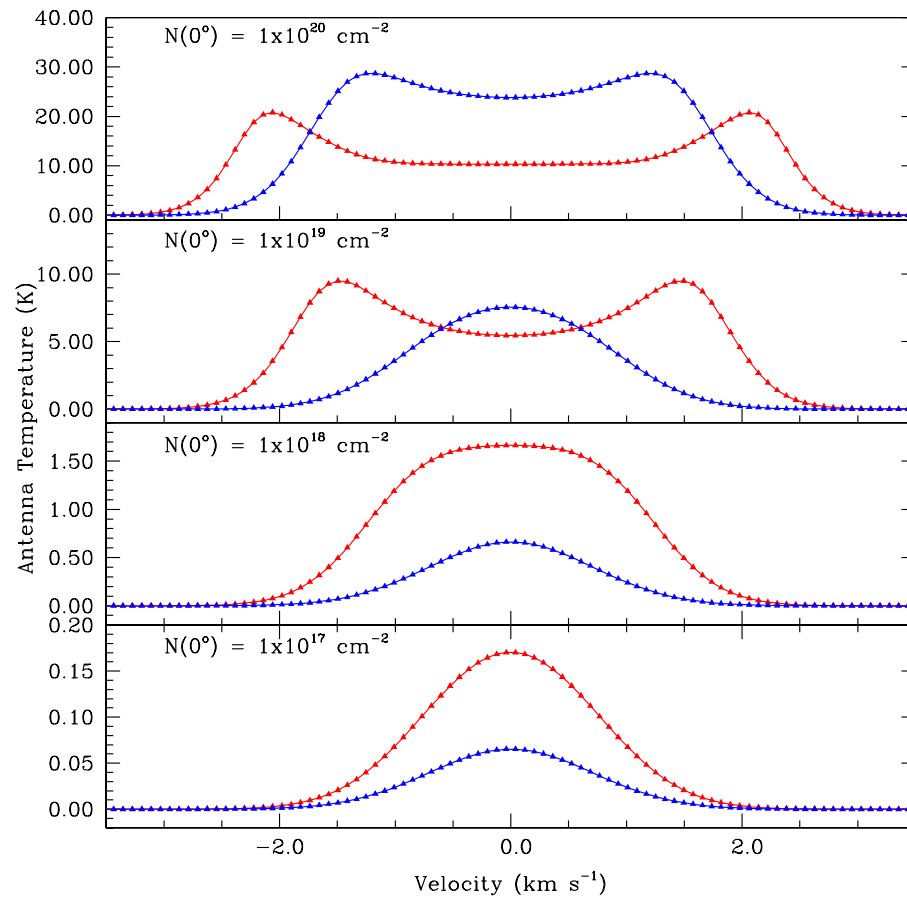


- Both transitions thermalized – T_{ex} uniform throughout slab

Trapping forces T_{ex} towards T_k

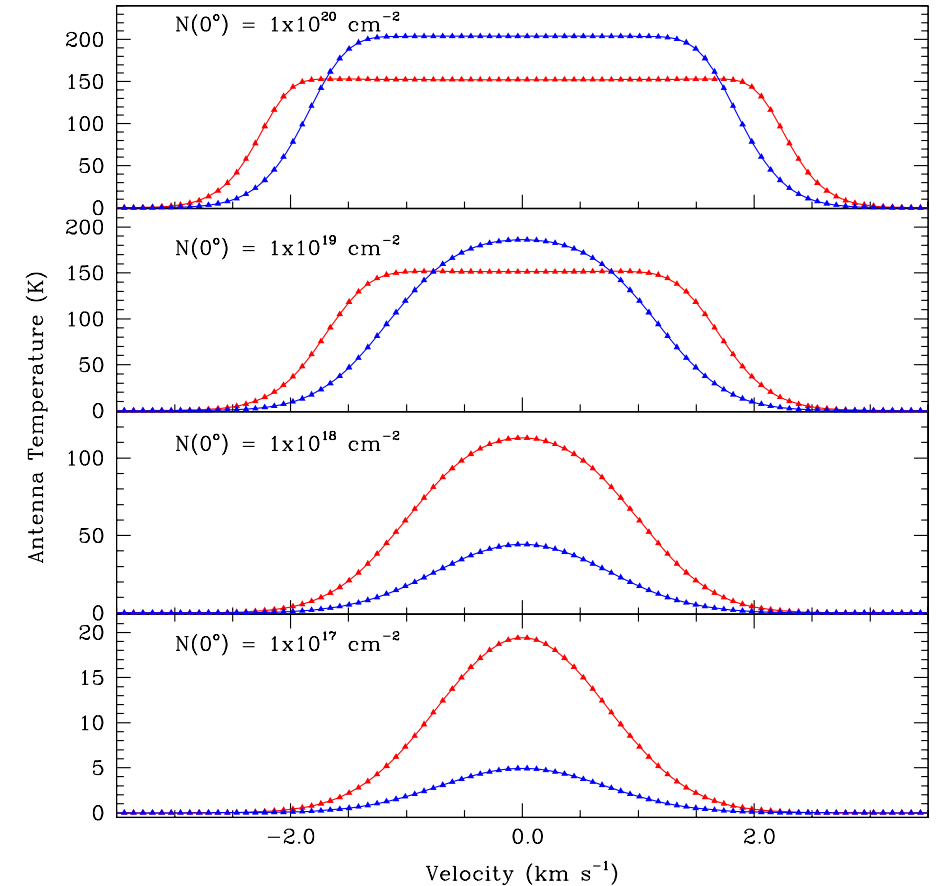
- $145 \mu\text{m}$ transition is superthermal so $T_{\text{ex}} \gtrsim T_k$ at cloud edges
 $\Rightarrow T_{\text{ex}}$ lower in cloud center
- $63 \mu\text{m}$ transition is subthermal so $T_{\text{ex}} < T_k$ at cloud edges
 $\Rightarrow T_{\text{ex}}$ higher in cloud center

Emergent Line Profiles are NOT Gaussians Although the Local Velocity Field is



$$n(\text{H}_2) = 10^4 \text{ cm}^{-3}$$

$T_k = 100 \text{ K}$
Red = 63 μm
Blue = 145 μm



$$n(\text{H}_2) = 10^7 \text{ cm}^{-3}$$

Summary

- [OI] observations using SOFIA/GREAT confirm severe optical depth effects in 63 μm line emission from PDR regions. This has been suggested by published data.
- [OI] is likely to be unobservable from WNM and CNM with GUSTO
- [NII] emission from W3 is relatively weak
- The MOLPOP-CEP statistical equilibrium & radiative transfer program correctly handles this, allowing for more meaningful line profiles than can be produced by e.g. LVG program
- Even in “uniform” slab, line profiles show effects of self-absorption by less excited O^0 in the outer layers of the slab
- More realistic models combining physical variations as predicted by PDR models (Meudon) and MOLPOP-CEP should be a valuable tool for interpreting GUSTO data